

A Cryptographic Processor for Low- Resource Devices: Canning ECDSA and AES Like Sardines

Michael Hutter, Martin Feldhofer, and Johannes Wolkerstorfer

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Institute for Applied Information Processing and Communications (IAIK)

Graz University of Technology

Outline

- Project CRYPTA
- Motivation
- The Processor
 - The System Architecture
 - Memory Unit and Datapath
 - Microcontroller
- Attack Countermeasures
- Results
- Conclusion

Project CRYPTA

- Joint work
 - IAIK (TUGraz)
 - Austriamicrosystems
 - RF-iT Solutions
- Objectives
 - Design of a passive RFID Tag
 - Complete system
 - Proof-of-concept demonstrator
 - Crypto support:
 - AES-128 (enc+dec)
 - SHA-1
 - ECDSA NIST P-192



Motivation

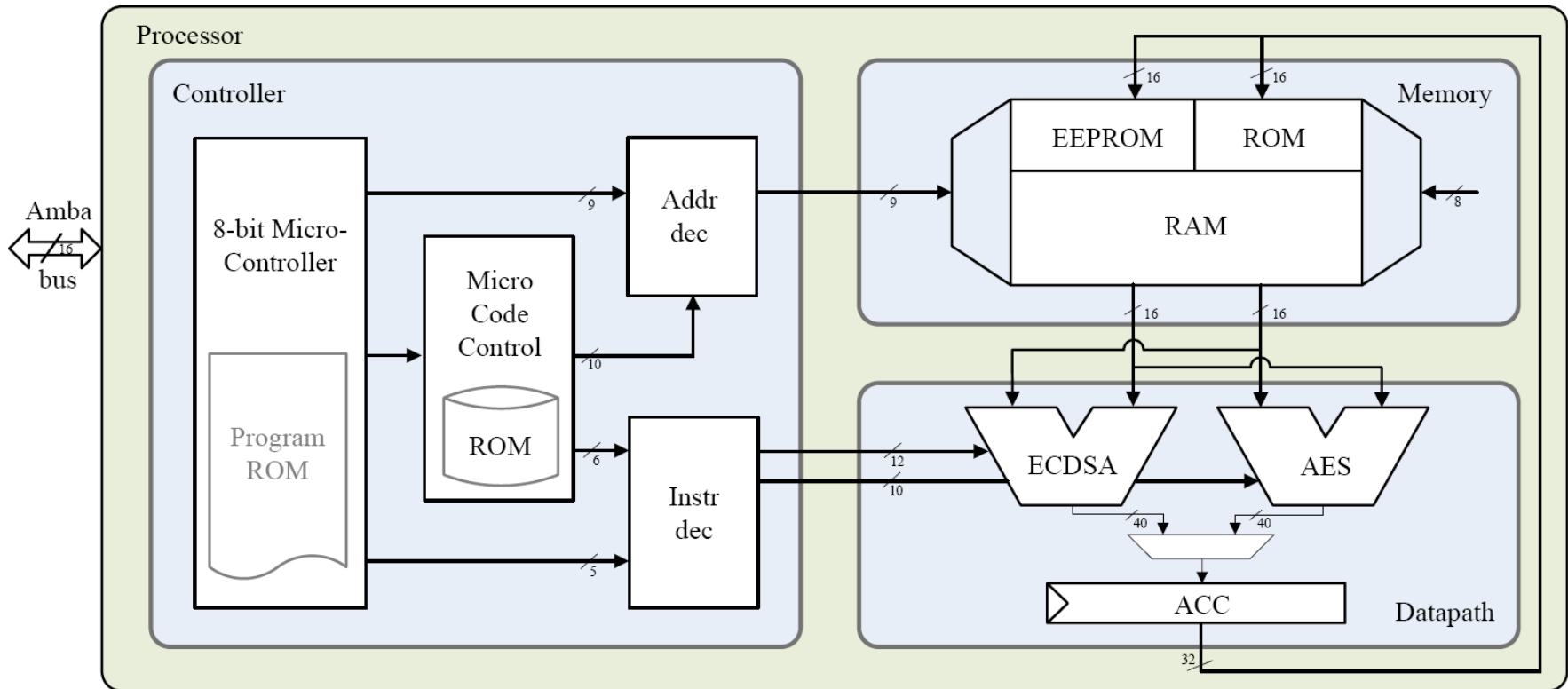
- Prevent counterfeit goods
 - Problem all over the world
 - Styrian pumpkin-seed oil or cheap copy?
 - When you choose a product, you want the quality you've paid for...
- Authenticity of a product through Digital Signatures
 - Transferable proof of origin
 - Message authentication, non-repudiation, data integrity
- Need of asymmetric cryptography



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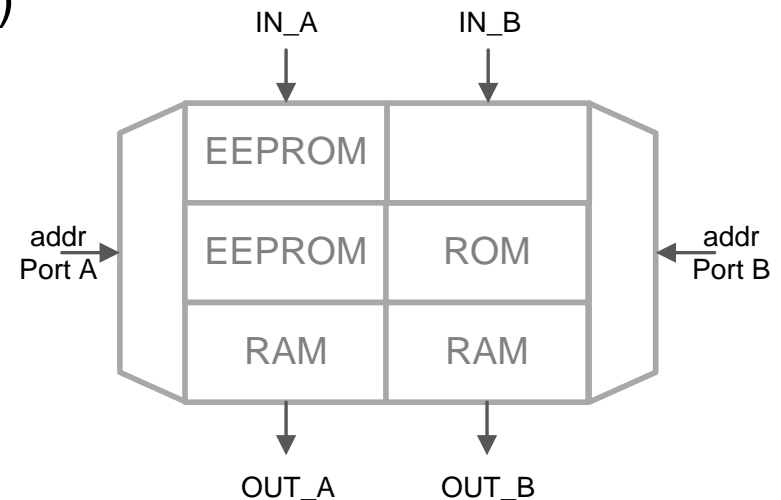
What we did?

- A cryptographic-enabled RFID processor



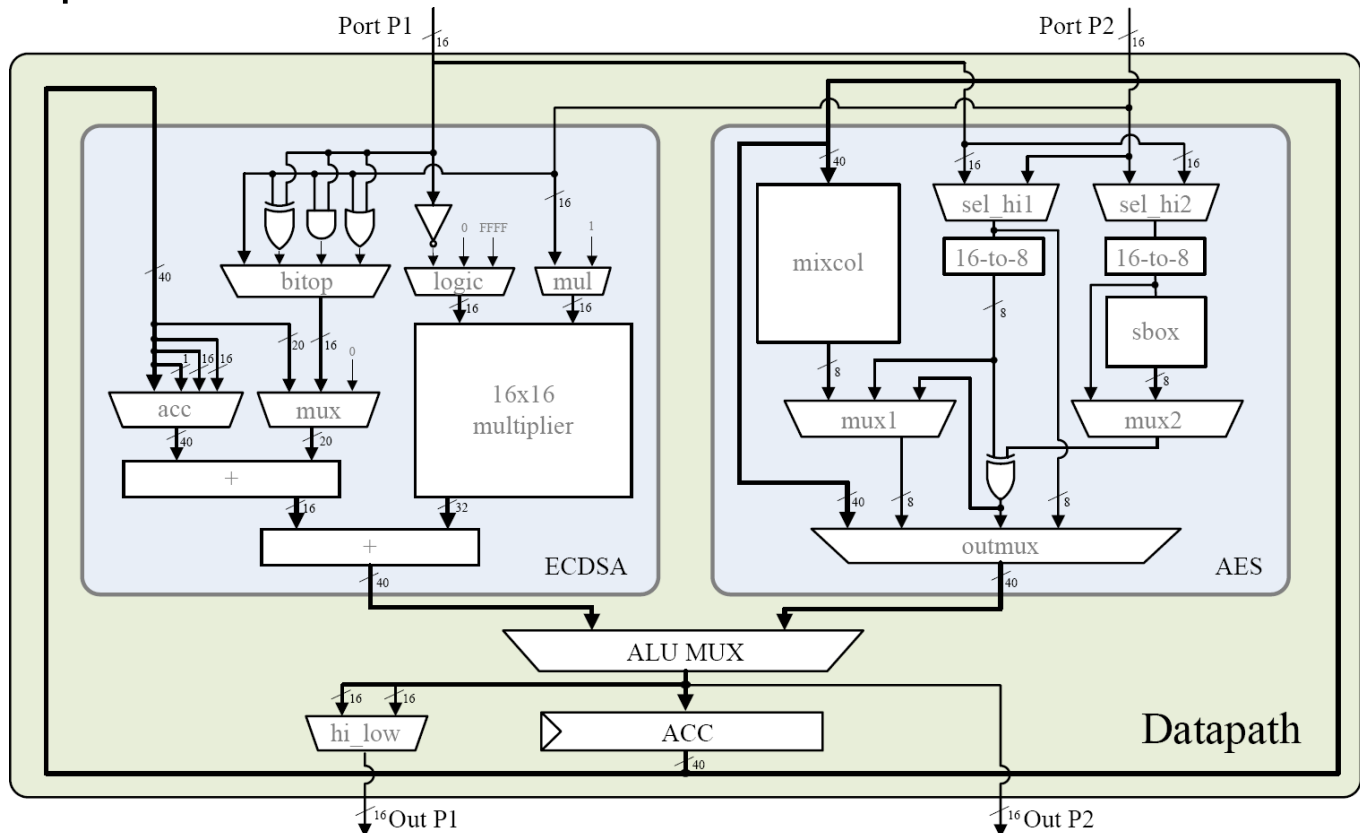
Memory Unit

- 16-bit dual ported interface
 - Concurrently read/write from/to two ports
- RAM macro (128x16 bit)
- ROM
 - ECC constants (e.g. base point P)
- EEPROM
 - Stores the private key
 - Stores the certificate

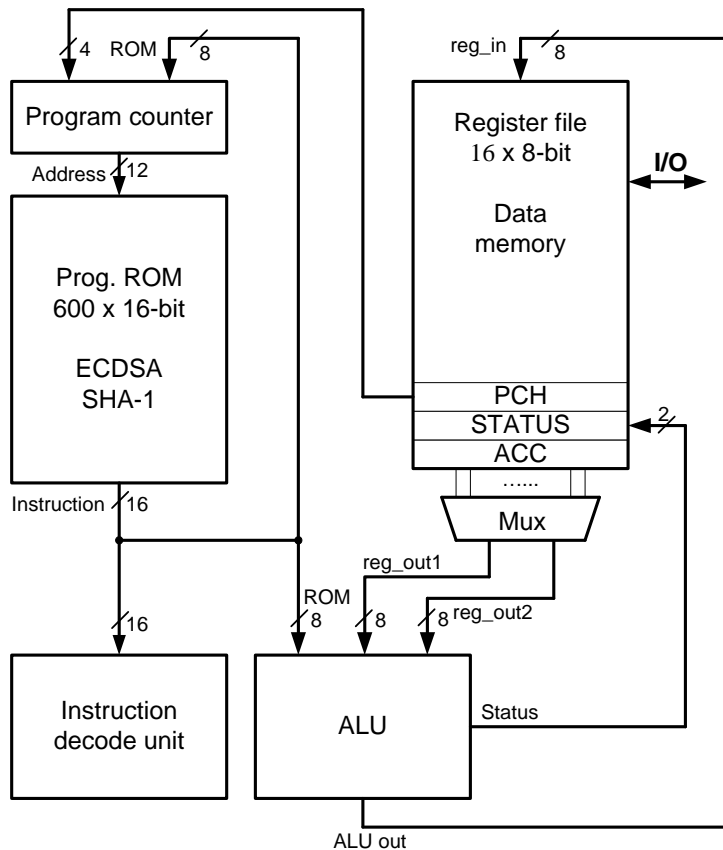


16-bit Datapath

- 16x16-bit multiply accumulate (MAC) unit
- 1 cycle 16-bit operations
- 40-bit ACCU



8-bit Microcontroller



- 32 instructions supported
 - Arithmetic operations (ADD, SUB,...)
 - Logical operations (OR, AND,...)
 - Control operations (GOTO, CALL,...)
- Register file and program ROM
- Instruction decoder, ALU, Counter,...
- Two-stage pipeline (fetch and execute)
- Call-stack support (3 recursive subroutines possible)
- Self-written Java compiler

Micro-Code Control

- Micro-code patterns for AES, ECDSA, and SHA1
 - Can be executed by the microcontroller by a MICRO instruction
- Implemented in 8 ROM tables
 - Area reduction through different table sizes
- Modular arithmetic
 - Addition: 32 cycles
 - Subtraction: 38 cycles
 - Multiplication: 204 cycles
 - NIST reduction applied ($p_{192} \equiv 2^{192} - 2^{64} - 1$)
- Montgomery arithmetic
 - Inversion: 20,823 cycles
 - Multiplication: 785 cycles

```
...
MovLF(ADDR1_REG, 0x4);
MICRO(INST_ADD, addr_par9, 19);
CALLR("NIST_RED");
...

LABEL("NIST_RED");
  MICRO(INST_RED1, addr_null, 4);
  MICRO(INST_RED2, addr_null, 8);
  BWS(STATUS, CU_NEXT_INSTR);
  BTC(STATUS, CU_CARRY);
  MICRO(INST_SUB, addr_par14, 19);
RET();
```

The ECC Implementation

- Use of Montgomery Ladder

Input: $P \in E(\mathbb{F}_q)$ and $k = (k_{n-1}, \dots, k_0)_2 \in \mathbb{N}$, with $k_{n-1} \neq 0$

Output: $Q = kP$

```

1:  $R_0 \leftarrow P; R_1 \leftarrow 2P$ 
2: for  $i = n - 2$  downto 0 do
3:    $b \leftarrow k_i; R_{1-b} \leftarrow R_{1-b} + R_b$ 
4:    $R_b \leftarrow 2R_b$ 
5: end for
6: return  $R_0$ 

```

- Use of x-coordinate only formulae (Brier and Joye)
- Combined double-and-add (Izu, Möller, and Takagi)
- Common-Z coordinate representation (Meloni, Lee)
 - Idea: share a common coordinate (e.g. X or Z)
 - Equivalent representation:

where $R_0 \cong (X'_1, Z')$ and $R_1 \cong (X'_2, Z')$

$$X'_1 = X_3Z_4, \quad X'_2 = X_4Z_3, \quad \text{and} \quad Z' = Z_3Z_4$$

New Co-Z Formulae for Montgomery Ladder

- Final formulae

$$\begin{cases} X'_1 = V[(X_1 + X_2)(X_1^2 + X_2^2 - U + 2aZ^2) + 4bZ^3 - x_D ZU] \\ X'_2 = U[(X_2^2 - aZ^2)^2 - 8bZ^3 X_2] \\ Z' = UVZ \end{cases}$$

- where

$$U = (X_1 - X_2)^2 \text{ and } V = 4X_2(X_2^2 + aZ^2) + 4bZ^3$$

- Complexity is only **9M+5S+1M_a+1M_{4b}**

- Only **7 registers** necessary

- New type of formulae:

- Out-of-place** operations

→ See Africacrypt 2011

Require: $X_1, X_2, Z, x_D, a, 4b$

Ensure: X_1, X_2, Z

1. $R_2 \leftarrow Z^2$	16. $X_1 \leftarrow X_1 - X_2$
2. $R_3 \leftarrow a \times R_2$	17. $X_2 \leftarrow X_2 + X_2$
3. $R_1 \leftarrow Z \times R_2$	18. $R_3 \leftarrow X_2 \times R_2$
4. $R_2 \leftarrow 4b \times R_1$	19. $R_4 \leftarrow R_4 - R_3$
5. $R_1 \leftarrow X_2^2$	20. $R_3 \leftarrow X_1^2$
6. $R_5 \leftarrow R_1 - R_3$	21. $R_1 \leftarrow R_1 - R_3$
7. $R_4 \leftarrow R_5^2$	22. $X_1 \leftarrow X_1 + X_2$
1: 8. $R_1 \leftarrow R_1 + R_3$	23. $X_2 \leftarrow X_1 \times R_1$
9. $R_5 \leftarrow X_2 \times R_1$	24. $X_2 \leftarrow X_2 + R_2$
10. $R_5 \leftarrow R_5 + R_5$	25. $R_2 \leftarrow Z \times R_3$
11. $R_5 \leftarrow R_5 + R_5$	26. $Z \leftarrow x_D \times R_2$
12. $R_5 \leftarrow R_5 + R_2$	27. $X_2 \leftarrow X_2 - Z$
13. $R_1 \leftarrow R_1 + R_3$	28. $X_1 \leftarrow R_5 \times X_2$
14. $R_3 \leftarrow X_1^2$	29. $X_2 \leftarrow R_3 \times R_4$
15. $R_1 \leftarrow R_1 + R_3$	30. $Z \leftarrow R_2 \times R_5$
2: return (X_1, X_2, Z)	

Countermeasures for ECDSA

■ SPA

- Montgomery Ladder

■ DPA

- Randomized Projective Coordinates (S. Coron)
- First-order blinding of the private-key multiplication

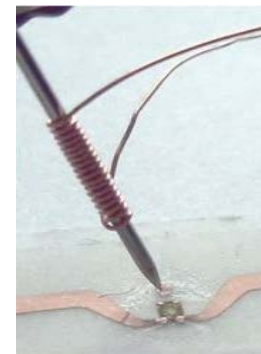
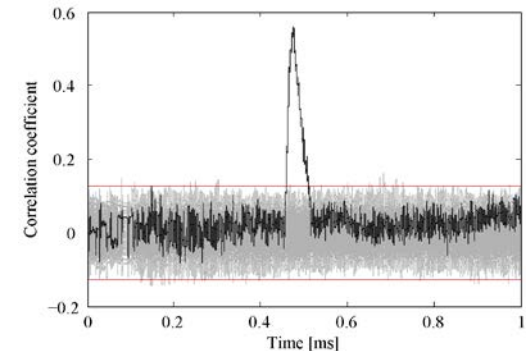
$$s = k^{-1}e + (k^{-1}r)d \quad \text{instead of} \quad s = k^{-1}(e + dr)$$

■ Fault Injections

- Point Validity Check (Ebeid and Lambert)

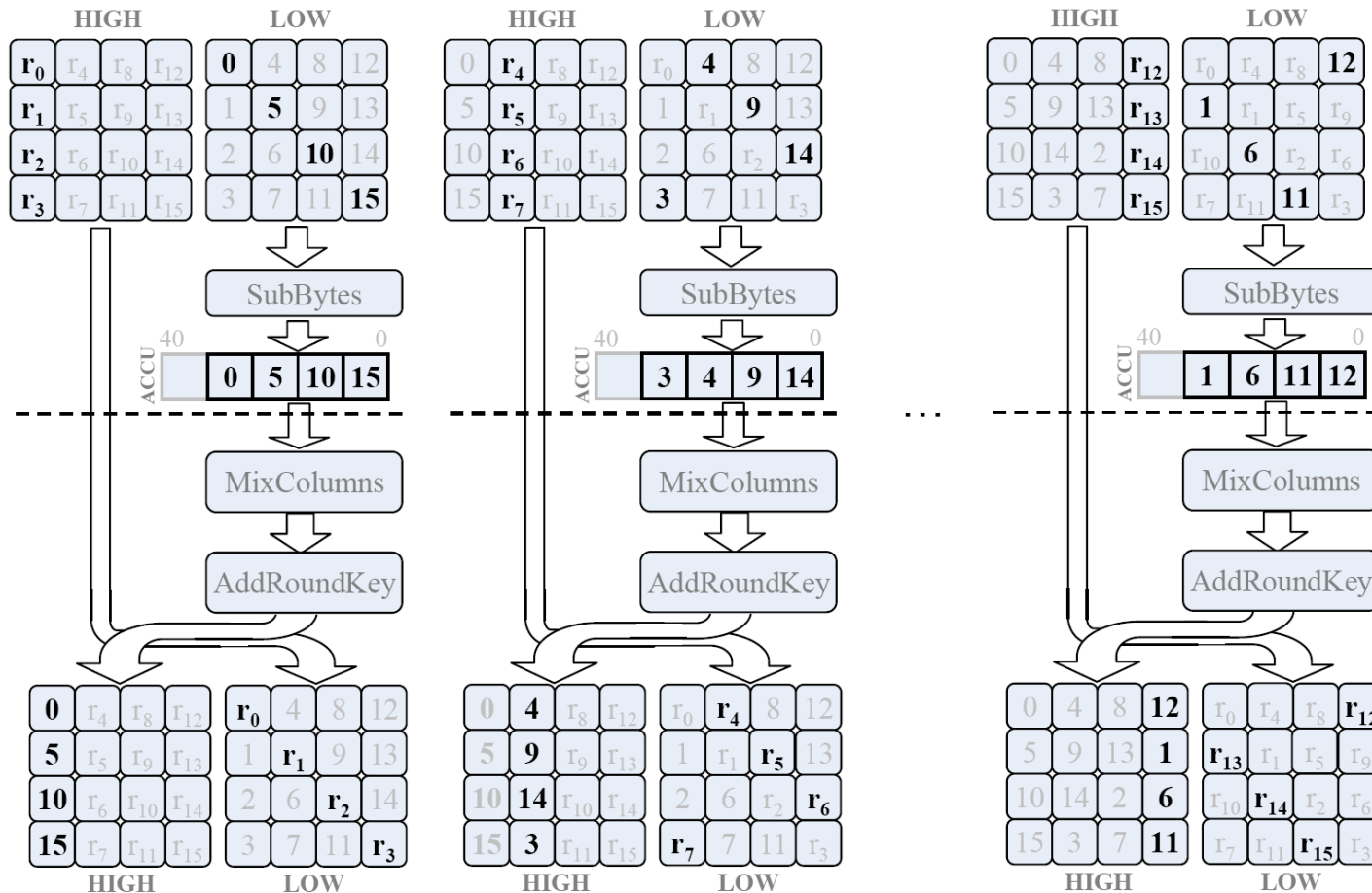
$$Z(Y^2 - bZ^2) = X(X^2 + aZ^2)$$

- Y recovery necessary



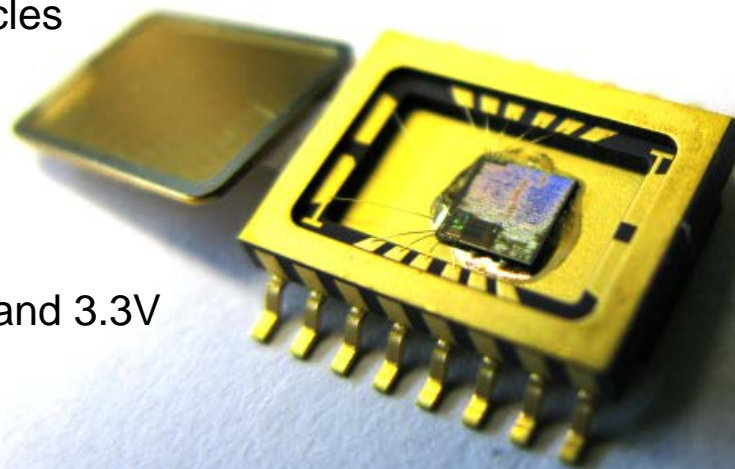
Countermeasures for AES

- Shuffling and Dummy Operations



Results

- Area
 - Total: 21,502 GEs
 - Overhead of AES: 2,387 GEs
 - Overhead of SHA1: 889 GEs
 - RAM macro: 8,727 GEs
- Speed
 - ECDSA: 863,109 cycles
 - SHA1: 3,639 cycles
 - AES: 4,529 cycles
- Power
 - ~485 μA @ 847kHz and 3.3V (0.35 μm CMOS)
- Features
 - ISO 14443A 1-4 compliant
 - NFC Forum Type 4 compatible
 - Stores PK certificate in EEPROM



Forgery-Proof Prototype

- Product authenticity
 - Through digital signatures
 - “Proof of Origin”
- Anti-Counterfeiting
 - Step toward preventing illicit copying intellectual property and goods
- Touch & Verify
 - Using NFC-enabled mobile phones, e.g. Nokia 6212
 - Up to 3cm reading range



Conclusions

- Low-resource processor for RFID/NFC
 - Asymmetric crypto on Tag (ECDSA P-192)
 - Symmetric crypto (AES-128)
- Fully capable digital signature generating device
 - Allows proof of origin to prevent product counterfeiting
- State of the art countermeasures included
- Sample implementation
 - Processor has been integrated in an NFC-compliant HF tag
 - Fabricated in February 2011

Thanks for your attention!

<http://www.iaik.tugraz.at/content/research/rfid/crypta/>



Michael Hutter

IAIK – Graz University of Technology

michael.hutter@iaik.tugraz.at

www.iaik.tugraz.at

Comparison with Related Work

	Area [GE]	Cycles	Field	Features
This Work	21 674	863 109	\mathbb{F}_{p192}	ECDSA, SHA-1, AES
Wenger11 [WFF11]	11 686	1 377 000	\mathbb{F}_{p192}	ECDSA, SHA-1
Kern10 [KF10]	18 247	511 864	\mathbb{F}_{p160}	SECG curve, ECDSA, SHA-1
Auer08 [Aue08]	24 745	1 031 000	\mathbb{F}_{p192}	ECDSA, SHA-1
Fürbass07 [FW07]	23 656	502 000	\mathbb{F}_{p192}	ECDSA (no SHA-1, no RNG)
Wolkerstorfer05 [Wol05]	23 800	677 000	\mathbb{F}_{p192}	ECC
Öztürk04 [ÖSS04]	30 333	545 440	$\mathbb{F}_{(2^{167}+1)/3}$	ECC
Satoh03 [ST03]	29 655	4 165 000	\mathbb{F}_{p192}	ECC
Hein08 [HWF08b]	11 904	296 000	$\mathbb{F}_{2^{163}}$	ECC
Bock08 [BBD ⁺ 08]	12 876	80 000	$\mathbb{F}_{2^{163}}$	ECC, DH, RNG
Lee08 [LSBV08]	12 506	302 457	$\mathbb{F}_{2^{163}}$	ECC, Schnorr
Kumar06 [KP06]	19 048	527 284	$\mathbb{F}_{2^{193}}$	ECC
Batina06 [BMS ⁺ 06]	8 104	353 000	$\mathbb{F}_{2^{131}}$	ECC, without memory
Schroeppel02 [SBG ⁺ 03]	191 000	93 000	$\mathbb{F}_{2^{178}}$	ECC, ElGamal, PRNG
Koschuch06 [KLW ⁺ 06]	29 491	1 416 000	$\mathbb{F}_{2^{191}}$	ECC, 8051 μC
Aigner04 [ABHW04]	25 000	469 385	$\mathbb{F}_{2^{191}}$	ECDSA (no SHA-1, no RNG)

Montgomery Ladder

Algorithm Point-multiplication method using the improved Montgomery ladder in common Z projective coordinate system.

Require: Base point $P = (P_x, P_y) \in E(\mathbb{F}_{p^{192}})$, $k \in_R [1, 2^{192} - 1]$, random λ

Ensure: $Q = kP$, where $Q = (x, y) \in E(\mathbb{F}_{p^{192}})$

- 1: $X_0 \leftarrow \lambda P_x, Z_0 \leftarrow \lambda$
 - 2: $(X_1, Z_1) \leftarrow \text{Dbl}(P)$
 - 3: $X_0 \leftarrow X_0 \cdot Z_1, X_1 \leftarrow X_1 \cdot Z_0, Z \leftarrow Z_0 \cdot Z_1$
 - 4: **for** $i = 190$ **downto** 0 **do**
 - 5: $(X_{k_i \otimes 1}, X_{k_i}, Z) \leftarrow \text{CombinedDoubleAndAdd}(X_{k_i}, X_{k_i \otimes 1}, Z)$
 - 6: **end for**
 - 7: $Y_0 \leftarrow \text{Yrecovery}(X_0, X_1, Z, P)$
 - 8: **if** $Z'(Y_0'^2 - bZ'^2) \neq X_0'(X_0'^2 + aZ'^2)$ **abort.**
 - 9: $x \leftarrow X_0 \cdot Z^{-1}$
 - 10: **Return** (x) .
-